

(a) For this feasible region find

(i)	the maximum value of the function 2x + 3y	(3)

- (ii) the minimum value of the function 4x + y (2)
- (b) Find the **five** inequalities that define the feasible region. (6)
- 2. (a) Represent on the same graph the set of points (x , y) for which

$$x \ge 2, y \ge 10, 4x + y \ge 24 \text{ and } 3x + 2y \ge 36.$$
 (4)

- (b) Show also the points where $2x + y \le 30$. (1)
- (c) Hence find the **points** in this region, with whole number values for x and y, at which 2x + y takes its smallest value.
 (4)

3. (a) Maximise P = x + y subject to the constraints:

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3x + 4y \le 122x + y \le 4y \ge 0.5xx \ge 0, y \ge 0
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(You must show that you have solved simultaneous equations for the cross over point).

(b) Repeat given the constraint that x and y must be integers.

In each case also state the coordinates of the point at which the maximum occurs.

(10)