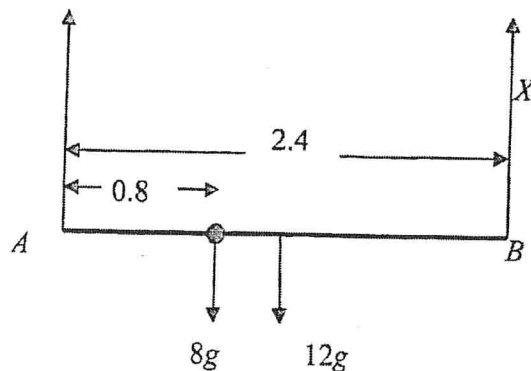


# Mechanics 11 Solutions

## Section 1

①

(a)



$M(A)$

$$8g \times 0.8 + 12g \times 1.2 = X \times 2.4$$

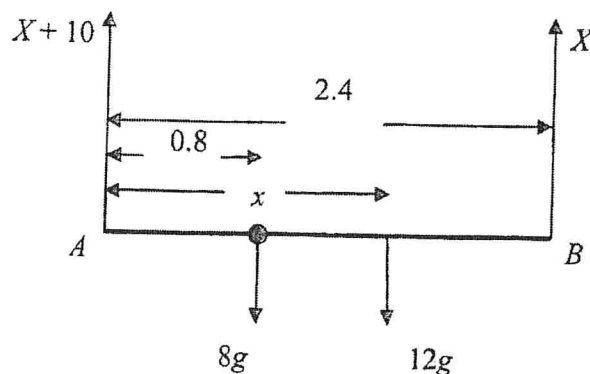
$$X \approx 85 \text{ (N)}$$

accept  $84.9, \frac{26g}{3}$

M1 A1

DM1 A1 (4)

(b)



$$R(\uparrow) \quad (X+10) + X = 8g + 12g$$

$$(X = 93)$$

$M(A)$

$$8g \times 0.8 + 12g \times x = X \times 2.4$$

$$x = 1.4 \text{ (m)}$$

accept 1.36

M1 B1 A1

M1 A1

A1 (6)

(10 marks)

② a.)  $H_0: \mu = 4.38 \quad H_1: \mu > 4.38$

b.) Test statistic =  $\frac{6.76 - 4.38}{\sqrt{14/150}} = 7.79$

Critical value = 1.645  $\Rightarrow$  critical region is  $\bar{x} > 1.645$

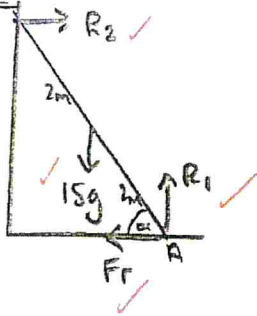
c.) The test statistic is in the critical region  $\Rightarrow$  the null hypothesis is rejected.

There is sufficient evidence to suggest that June 2015 was a particularly sunny month.

# Mechanics 11 Solutions

Section 2

① a.)



b.)  $15g(2\cos\alpha) = 30g\cos\alpha$  (or  $29.4\cos\alpha$ )

Units: N/m ✓

Sense: consistent with diagram! ✓

(anti-clockwise if like mine)

c.) Horizontally:  $F_f = R_2$

Vertically:  $R_1 = 15g$

Moments about A:  $30g\cos\alpha = R_2(4\sin\alpha)$  ✓

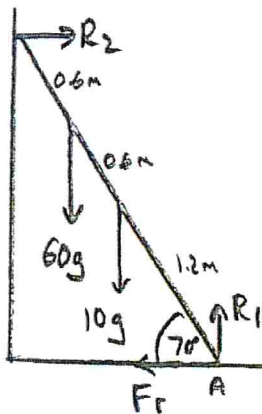
Limiting equilibrium:  $F_f = \frac{1}{3}R_1$

$F_f = \frac{1}{3}(15g) = 5g = R_2$

$\Rightarrow 30g\cos\alpha = 20g\sin\alpha$

$\tan\alpha = 1.5 \Rightarrow \alpha = 56.3^\circ$  ✓

② a.)



Horizontally:  $F_f = R_2$

Vertically:  $R_1 = 60g + 10g = 70g$

Moments about A:  $10g(1.2\cos 70^\circ) + 60g(1.8\cos 70^\circ) = R_2(2.4\sin 70^\circ)$

$\Rightarrow 120g\cos 70^\circ = 2.4R_2\sin 70^\circ$

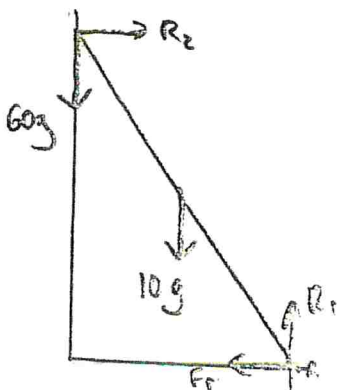
Limiting equilibrium:  $F_f = \mu R_1$

$F_f = \mu(70g) = R_2$

$\Rightarrow 120g\cos 70^\circ = 2.4\mu(70g)\sin 70^\circ$  ✓

$\mu = \frac{120\cos 70^\circ}{168\sin 70^\circ} = 0.260$  to 3sf

b.)



Horizontally:  $F_f = R_2$

Vertically:  $R_1 = 70g + x$

Mom. about A:  $10g(1.2\cos 70^\circ) + 60g(2.4\cos 70^\circ) = R_2 \times 2.4\sin 70^\circ$

Limiting eqn:  $F_f = \mu R_1$

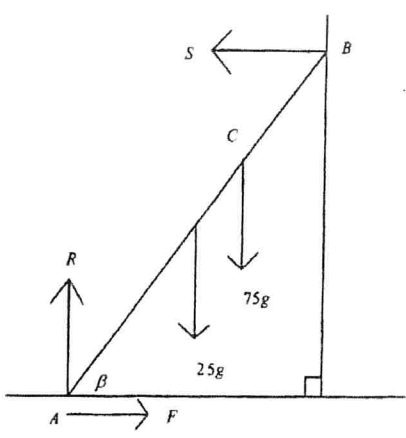
$R_2 = \frac{120g\cos 70^\circ + 144g\cos 70^\circ}{2.4\sin 70^\circ} = 231.85\text{ N}$  ✓

$\mu R_1 = 231.85 \Rightarrow \mu(70g + x) = 231.85$

$0.260(70g + x) = 231.85 \Rightarrow x = 206\text{ N}$  to 3sf ✓

3

(a)



$R(\uparrow) : R = 25g + 75g (=100g)$

$F = \mu R \Rightarrow F = \frac{11}{25} \times 100g$   
 $= 44g (=431)$

(b)

$M(A) :$   
 $25g \times 2 \cos \beta + 75g \times 2.8 \cos \beta$   
 $= S \times 4 \sin \beta$

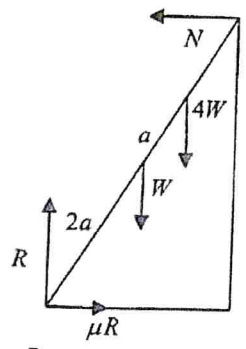
$R(\leftrightarrow) : F = S$   
 $176g \sin \beta = 260g \cos \beta$   
 $\beta = 56(^{\circ})$

(c) So that Reece's weight acts directly at the point C.

B1  
M1  
A1  
(3)  
M1  
A2,1,0  
M1A1  
A1  
(6)  
B1  
[10]

4

(a)



$\uparrow R = 5W$

$M(B) : 4W a \cos \theta + W \cdot 2a \cos \theta + \mu R 4a \sin \theta = R \cdot 4a \cos \theta$   
 Having enough equations & solving them for  $\mu$   
 $\mu = 0.35$

(b)

$\uparrow S = (5+k)W$

Use of  $F = 0.35S$  or  $F \leq 0.35S$

$M(B) : kW 4a \cos \theta + W \cdot 2a \cos \theta + F 4a \sin \theta = S \cdot 4a \cos \theta$   
 Having enough equations & solving them for  $k$

$k = \frac{10}{7}$

awrt 1.42

$k \geq \frac{10}{7}$  fit their  $k$ , accept  $>$  and decimals

B1  
B1  
M1 A1  
M1  
A1  
(6)  
B1  
M1  
M1 A1  
M1  
A1  
A1 ft  
(7)  
13

5

$m(B) : R \times 4 \cos \alpha = F \times 4 \sin \alpha + 20g \times 2 \cos \alpha$

Use of  $F = \frac{1}{2}R$

Use of correct trig ratios

$R = 160N$  or  $157N$

M1 A2  
M1  
B1  
DM1 A1  
(6)