Mark schemes

2

(a)
$$\Delta T = \left(\frac{\Delta Q}{mc}\right) = \frac{8.5 \times 10^3}{4200 \times 0.12} \checkmark$$

17 K \checkmark

(b)
$$\left(\frac{\Delta T}{\Delta t} = \frac{\overline{\Delta t}}{mc}\right) = \frac{100 - 26}{\Delta t} = \frac{8.5 \times 10^3}{0.41 \times 4200} \checkmark$$

[4]

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(a) (use of $\triangle Q = mc \triangle T$ gives) $\triangle Q = 0.45 \times 4200 \times (35 - 15)$ (1)

 $= 3.8 \times 10^4 \text{ J} (3.78 \times 10^4 \text{ J})$ (1)

- (b) (i) 3.8×10^4 J (1) (allow C.E. for incorrect value of ΔQ from (a))
 - (ii) $(mc\Delta T = \Delta Q \text{ gives}) 0.12 \times 390 \times \Delta T = 3.8 \times 10^4$ (1) $\Delta T = 812 \text{ K}$ (1) (use of $\Delta Q = 3.78 \text{ gives } \Delta T = 808 \text{ K}$ (allow C.E. for incorrect value of ΔQ from (i))
 - (iii) (812 + 35) = 847 °C (1) (use of 808 gives 843 °C) (allow C.E. from (ii))

[6]

(heat supplied by glass = heat gained by cola) (use of $m_{\rm g} c_{\rm g} \Delta T_{\rm g} = m_c c_{\rm c} \Delta T_{\rm c}$) 1st mark for RHS or LHS of substituted equation $0.250 \times 840 \times (30.0 - T_f) = 0.200 \times 4190 \times (T_f - 3.0)$ \checkmark 2nd mark for 8.4°C $(210 \times 30 - 210 t_{\rm f} = 838 T_{\rm f} - 838 \times 3)$ $T_{\rm f} = 8.4(1)$ (°C) \checkmark Alternatives: 8°C is substituted into equation (on either side shown will get mark) √ resulting in 4620J~4190J 🗸 or 8°C substituted into LHS \checkmark (produces $\Delta T = 5.5$ °C and hence) = 8.5°C ~ 8°C √ 8°C substituted into RHS ✓ (produces $\Delta T = 20^{\circ}C$ and hence) = 10°C ~ 8°C ✓

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(i)

(ii) (heat gained by ice = heat lost by glass + heat lost by cola)
NB correct answer does not necessarily get full marks

(heat gained by ice = $mc\Delta T + ml$) heat gained by ice = $m \times 4190 \times 3.0 + m \times 3.34 \times 10^5 \checkmark$ (heat gained by ice = $m \times 346600$) 3rd mark is only given if the previous 2 marks are awarded heat lost by glass + heat lost by cola = 0.250 × 840 × (8.41 − 3.0) + 0.200 × 4190 × (8.41 − 3.0) ✓ (= 5670 J)(especially look for $m \times 4190 \times 3.0$) the first two marks are given for the formation of the substituted equation not the calculated values *m* (=5670 / 346600) = 0.016 (kg) 🗸 if 8°C is used the final answer is 0.015 kg or (using cola returning to its original temperature) (heat supplied by glass = heat gained by ice) (heat gained by glass = $0.250 \times 840 \times (30.0 - 3.0)$) heat gained by glass = 5670 (J) ✓ (heat used by ice = $mc\Delta T + ml$) heat used by ice = $m(4190 \times 3.0 + 3.34 \times 10^5) \checkmark (= m(346600))$ $m (= 5670 / 346600) = 0.016 (kg) \checkmark$ the energy required to change the state of a unit mass of water to steam / gas \checkmark when at its boiling point temperature / 100°C / without a change in temperature) \checkmark

> allow 1 kg in place of unit allow liquid to vapour / gas without reference to water don't allow 'evaporation' in first mark

(b) (i) thermal energy given by copper block (= $mc\Delta T$) = 0.047 × 390 × (990 - 100) = 1.6 × 10⁴ (J) \checkmark 2 sig figs \checkmark

(a)

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can gain full marks without showing working a negative answer is not given credit sig fig mark stands alone [5]

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(ii) thermal energy gained by water and copper container $(= mc\Delta T_{water} + mc\Delta T_{copper})$ $= 0.050 \times 4200 \times (100 - 84) + 0.020 \times 390 \times (100 - 84)$ or $= 3500 \text{ (J) } \checkmark (3485 \text{ J})$ available heat energy (= 1.6 × 10⁴ - 3500) = 1.3 × 10⁴ (J) \checkmark allow both 12000 J and 13000 J *allow CE from (i)*

working must be shown for a CE take care in awarding full marks for the final answer – missing out the copper container may result in the correct answer but not be worth any marks because of a physics error (3485 is a mark in itself) ignore sign of final answer in CE (many CE's should result in a negative answer)

(iii) (using Q = ml)

 $\begin{array}{l} m=1.3\times10^4\,/\,2.3\times10^6\\ =0.0057~(\text{kg})\,\checkmark\\ \text{Allow 0.006 but not 0.0060 (kg)}\\ allow CE from (ii)\\ answers between 0.0052\rightarrow0.0057~\text{kg resulting from use of 12000}\\ and 13000~\text{J} \end{array}$

[7]

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