

• PRACTICE QUESTIONS (1)

1 Calculate the *angular displacement* of the tip of the *minute* hand on a watch in (i) *Degrees* and (ii) *Radians*, in a time of :

(a) *5 minutes*, (b) *15 minutes*, (c) *1 hour*.

2 (a) Calculate the number of *radians* in : (i)  $60^\circ$ , (ii)  $145^\circ$ .

(b) Calculate the number of *degrees* in : (i)  $0.8$  radian.  
(ii)  $\pi/4$  radian.

(c) Express  $30^\circ$ ,  $60^\circ$  and  $90^\circ$  as multiples of  $\pi$  radians.

3 The wheels on a racing car turn at a frequency of  $10$  Hz. Calculate :

(a) The *time period* ( $T$ ).

(b) The *angular displacement in radians* in a time of :

(i)  $25$  ms, (ii)  $100$  ms.

4 At some point in the past, when the Earth was in its initial stages of formation, it took  $18$  hours to complete one revolution about its axis. Given that the Earth's diameter is  $12800$  km, calculate :

(a) The *speed of rotation* of a point on the equator.

(b) The *angular displacement* of this point in a time of  $30$  minutes, (i) in *radians* and (ii) in *degrees*.

5 Cyclists racing in the Olympic Velodrome often reach speeds of  $18 \text{ m s}^{-1}$  on bikes having wheels of diameter  $700$  mm.

Calculate :

(a) The *time taken for one complete revolution* of the wheels.

(b) (i) The *rotational frequency* of the wheels.

(ii) The *number of complete revolutions* made by the wheels in  $4$  minutes.

(iii) The *distance travelled* by the cyclist in  $4$  minutes.



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6 The Earth orbits the Sun at an average radius of  $1.5 \times 10^{11}$  m. Given that it completes its orbit in  $365.3$  days, calculate the Earth's orbital :

(a) *Frequency*.

(b) *Linear speed*.

(c) *Angular speed in radians per second*.

