*ChemFactsheet*



# **September 2001** Number 22

# **Chemical Equilibria:** *K* **p**

To succeed in this topic you need to:-

- Understand the concepts of 'dynamic equilibrium' and Le Chatalier's Principle (Factsheet 09)
- Ensure you are fully competent with the work on  $K_c$  covered in Factsheet Number 21

After working through this Factsheet you will be able to:-

- understand the concept of ' $K_p$ ' and write its mathematical expression from the balanced chemical equation
- calculate partial pressure from the data given
- work out the units of  $K_p$
- perform calculations using the  $K_{\rm s}$  expression

**Exam hint:-** Do not think of  $\mathsf{K}_\rho$  as something completely new - it's basically an extension of the work on  $\kappa_{c}$ , with the fundamental theory of equilibria applying to both.

# **What is**  $K_n$ **?**

The 'p' in  $K_p$  stands for 'pressure'.  $K_p$  only applies to gases.

**Exam Hint: -**Watch out for heterogeneous reactions (those that involve gases and solids or liquids)  $\,$  -  $\mathsf{K}_{{}_{\sf p}}$  only applies to gases!

 $K_{\text{p}}$  (like  $K_{\text{e}}$ ) is a constant numerical value for any equilibrium but is always quoted at a particular temperature. This is because **only temperature affects the value of** *K*<sup>p</sup>

In other words you can add or remove reactants or products, change the pressure or add a catalyst and the **value of**  $K_n$  **does not change**. This is because the equilibrium, adjusts its position (according Le Chatalier's Principle) to keep  $K_{p}$  a constant value.

**Exam Hint:-** The effect of changing conditions on the value of  $K_{_\rho}$  is invariably tested in questions. You should note very carefully what has been covered so far!

# **Writing**  $K$ **<sup>b</sup> expressions**

The same rules apply to writing  $K_p$  expressions as to  $K_c$ :

#### **Rules**

- 1. 'Products' over 'Reactants' (right hand side on top)
- 2. Numbers in front become powers
- 3.  $\div$  becomes  $\times$ .
- 4. **Only gases** are included

The difference to  $K_c$  is that pressures are used, not concentrations. This affects the symbol used -  $K_c$  used  $\left[\right] \equiv$  mol dm<sup>-3</sup>, while  $K_p$  uses a letter '*p*'. The worked example below shows the rules being applied:

Example: For the reaction  $N_2(g) + 3H_2(g)$   $\hat{u}$   $2NH_3(g)$ , write expressions for  $K_{\text{p}}$  and  $K_{\text{c}}$  and give their units

$$
K_{c} = \frac{[NH_{3}]_{eq}^{2}}{[N_{2}]_{eq} \times [H_{2}]_{eq}^{3}}
$$

Units  $=$ = =  $=$  mol<sup>-2</sup> dm<sup>6</sup>  $(mod \text{ }dm^{-3})^2$  $\overline{(mol \, dm^{-3}) \times (mol \, dm^{-3})^3}$ mol<sup>2</sup> dm<sup>-6</sup>  $\text{(mol dm}^3) \times \text{(mol}^3 \text{ dm}^9)$  mol2 dm-6  $mol<sup>4</sup> dm<sup>-12</sup>$ 

Now we repeat this for  $K_p$ :

$$
K_{\rm p} = \frac{(pNH_{3})_{\rm eq}^2}{(pN_{2})_{\rm eq} \times (pH_{2})_{\rm eq}^3}
$$
  
 Units = 
$$
\frac{(\text{atm})^2}{(\text{atm}) \times (\text{atm})^3}
$$

$$
= \frac{(\text{atm})^2}{(\text{atm})^4}
$$

$$
= \text{atm}^2
$$

would be Pa<sup>-2</sup> etc.

**Exam Hint:-** Pressure is quoted in a range of different units: atmospheres (atm), pascals (Pa), kilopascals (kPa), megapascals (MPa) and mmHg or cmHg. It doesn't matter – you just use whichever units are used in the question! So in the above example, if we'd started with Pascals, the final unit

Question 1 at the end of the Factsheet provides further practice on writing expressions for  $K_p$  and working out units.

#### **Mole fractions and partial pressures**

Before we go to  $K_{\text{p}}$  calculations there is some new work to be done about gases. This theory is based on the Gas Laws - but you do not need to know anything about the Gas Laws for this!

If you have a mixture of two or more gases then the mixture will exert a **total pressure**. This total is made up of the individual contributions from each of the gases in the mixture. These are called **partial pressures**.



To find Partial Pressures, we use **mole fractions**:



*Partial pressure = Mole Fraction* × *Total of gas A for gas A Pressure* Example 1: What is the partial pressure of each gas if 2 moles of A and 3 moles of B have a total pressure of 4 atm?

Mole fraction for  $A = 2/(2 + 3) = 0.4$ Mole fraction for  $B = 3/(2 + 3) = 0.6$ So:

Partial pressure of  $A = 0.4 \times 4 = 1.6$  atm Partial pressure of  $B = 0.6 \times 4 = 2.4$  atm

*Check:*  $pA + pB = 1.6 + 2.4 = 4$  *atm = total pressure* 

Example 2: 0.4 moles of C, 0.2 moles of D and 1.0 moles of E have a total pressure of 200 Pa. Find the partial pressure of each gas.

Mole fraction for  $C = 0.4/(0.4 + 0.2 + 1.0) = 0.25$ Mole fraction for D =  $0.2/(0.4 + 0.2 + 1.0) = 0.125$ Mole fraction for  $E = 1.0/(0.4 + 0.2 + 1.0) = 0.625$ Partial pressure of  $C = 0.25 \times 200 = 50$  Pa

Partial pressure of  $D = 0.125 \times 200 = 25$  Pa Partial pressure of  $E = 0.625 \times 200 = 125$  Pa

*Check: pC + pD + pE = 50 + 25 + 125 = 200 Pa = total pressure*

Check you are happy using mole fractions to calculate partial pressures by attempting Question 2 at the end of this Factsheet before moving on.

# **Calculating** *K***<sup>p</sup>**

The method for this is:

# **Method**

- 1. Write the equation, putting in the start moles
- 2. Calculate the equilibrium moles from the data given.
- 3. Change equilibrium moles into mole fractions.
- 4. Calculate partial pressures for the gases (mole fraction  $\times$  total pressure).
- Substitute the partial pressure values into the  $K_{p}$  expression and calculate the  $K_{p}$  value. 5.

Example 1

0.2 moles of  $N_2O_4$  was heated to 100°C in a flask. At equilibrium 50% of the  $N_2O_4$  has dissociated and the total pressure was 0.5 atm.

 $N_2O_4(g)$  û 2NO<sub>2</sub>(g) What is the value of  $K_p$ ?

1. Write the equation. Put in the moles at the start  $N_2O_4$  û 2  $NO_2$ 0.2 0

```
2. Work out the moles at equilibrium,using the data in the question
50% of 0.2 moles is 0.1 moles
From equation, 1 mole N_2O_4 produces 2 moles NO_2So 0.1 moles \text{N}_{2}\text{O}_{4} produces 0.2 moles \text{NO}_{2}So at equilibrium, we have
              N_2O_4 û 2 NO_2equm moles 0.1 0.2
```
3. Calculate the mole fraction for each substance at equilibrium  $N_2O_4$ : 0.1/0.3  $NO_2$ : 0.2/0.3

**Exam Hint:-** Do **not** round at this stage - if you do you may end up with rounding errors later.

4. Calculate the equilibrium partial pressures  $N_2O_4$ : (0.1/0.3) $\times$  0.5 = 0.167 atm NO<sub>2</sub>:  $(0.2/0.3) \times 0.5 = 0.333$  atm

5. Calculate *K*<sup>p</sup>

$$
K_{\rm p} = \frac{(p{\rm NO}_{2})_{\rm eq}^{2}}{(p{\rm N}_{2}{\rm O}_{4})_{\rm eq}}
$$
  
=  $\frac{0.333^{2}}{0.167} = 0.66$  atm

4 0 0

## Example 2

4 moles of  $\text{SO}_3$  was heated to 150°C. At equilibrium there was found to be 0.5 moles of  $O_2$ , and the total pressure was 2 atm.  $2 \text{ SO}_3(g) \text{ \nightharpoonup Q} 2 \text{ SO}_2(g) + \text{O}_2(g)$ What is the value of  $K_p$ ? 1. 2 SO<sub>3</sub>(g)  $\hat{u}$  2 SO<sub>2</sub>(g) + O<sub>2</sub>(g)

- 2. At equilibrium, there are  $0.5$  moles  $O_2$ . From the equation: Moles SO<sub>2</sub> produced =  $2 \times$  moles O<sub>2</sub> produced Moles of  $SO_3$  used = 2  $\times$  moles  $O_2$  produced So moles  $SO_2$  produced = 1. Moles  $SO_3$  used = 1. 3 moles of  $SO<sub>3</sub>$  are left  $2 \text{ SO}_3(g) \hat{u} 2 \text{ SO}_2(g) + \text{O}_2(g)$ equm moles  $3 \t 1 \t 0.5$
- 3. Mole fractions: :  $3/4.5$  SO<sub>2</sub>:  $1/4.5$  O<sub>2</sub>:  $0.5/4.5$
- 4. Partial pressures:  $SO_2$ : (3/ 4.5) $\times$  2 = 1.333 atm  $SO_2$ : (1/4.5) $\times$  2 = 0.444 atm  $O_2$ : (0.5/4.5)×2 = 0.222 atm

$$
5. K_{\rm p} = \frac{(p\text{SO}_2)_{\rm eq}^2 (p\text{O}_2)_{\rm eq}}{(p\text{SO}_3)_{\rm eq}^2} = \frac{0.444^2 \times 0.222}{1.333^2} = 0.024 \text{ atm}
$$

In some examples, you may not be given the actual number of moles at the start, but instead the percentage of dissociation. The approach is very similar - we just imagine that we start with 1 mole!

# Example 3

In the gas phase, PCl<sub>c</sub> undergoes thermal dissociation:

 $\text{PCl}_5(g)$  û  $\text{PCl}_3(g) + \text{Cl}_2(g)$ At a certain temperature, and a total pressure of 3 atm, 60% of the PCl<sub>-</sub> originally present has dissociated when equilibrium is attained. Calculate the partial pressures of the three gases at equilibrium, and hence the value of  $K<sub>n</sub>$  at this temperature.

1. 
$$
\text{PCl}_5(g)
$$
 û  $\text{PCl}_3(g) + \text{Cl}_2(g)$   
1 0 0

2. 60% dissociated means  $0.6$  moles of  $\text{PCl}_5$  are used up, so  $0.4$  remain. Moles  $\text{PCl}_3$  produced = moles  $\text{Cl}_2$  produced = moles  $\text{PCl}_5$  used = 0.6  $\text{PCI}_5(g) \hat{u} \text{ PCI}_3(g) + \text{CI}_2(g)$ equm moles 0.4 0.6 0.6

3. Mole fractions:  $PCl_5$ : 0.4/1.6  $PCl_3$ : 0.6/1.6  $Cl_2$ : 0.6/1.6

4. Partial pressures:  $PCl$ <sub>:</sub>: $(0.4/1.6) \times 3 = 0.75$  atm PCl<sub>3</sub>:  $(0.6/1.6) \times 3 = 1.125$  atm  $O_2$ : (0.6/ 1.6) $\times$  3 = 1.125 atm

 $(pPCl<sub>5</sub>)<sub>eq</sub>$  $(pPCl_3)_{eq}(pCl_2)_{eq}$ 0.75 5.  $K_p = \frac{(pPCl_3)_{eq} (pCl_2)_{eq}}{(pPCl_1)} = \frac{1.125 \times 1.125}{0.75} = 1.69 \text{ atm} (3SF)$ 

Before moving on, attempt Question 3 to make sure you are confident with calculating  $K_{\rm s}$  values.

# **Calculating partial pressure values at equilibrium**

If the value of  $K<sub>n</sub>$  is given for a *simple binary system* (i.e. only two species involved) you may be required to calculate the partial pressures of the gases involved.

There are two types of calculation here; the first is simply the reverse of the previous calculations on  $K_p$  where partial pressures were used to find the value of  $K_p$ .

Example 1. For the equilibrium system  $N_2O_4$ (g)  $\mathbf{\hat{u}}\text{NO}_2(\text{g})$ 

at 340K,  $K_p = 3.90$  atm.

If, at the equilibrium position, the partial pressure of the  $\mathrm{NO}_2$  was found to be 0.80atm, calculate the partial pressure of the  $N_2O_4$  and the total pressure.

1. Write the  $K_p$  expression

$$
K_{\rm p} = \frac{(p\rm{NO}_{2})_{eq}^{2}}{(p\rm{N}_{2}\rm{O}_{4})_{eq}}
$$

2. Substitute in what you know

$$
3.9 = \frac{(0.80)^2}{(pN_2O_4)_{eq}}
$$

3. Rearrange the equation:  $3.9 \times (pN_2O_4)_{\text{eq}} = (0.80)^2$  $(0.80)^2$ 

$$
(pN_2O_4)_{eq} = \frac{(0.80)^2}{3.9} = 0.164
$$
 atm

Total pressure = sum of partial pressures =  $0.164 + 0.80 = 0.96$  atm (2DP)

# Example 2.

For the equilibrium system  $N_2O_4$ (g)  $\mathbf{\hat{u}}\text{NO}_2(\text{g})$ at 340K,  $K_p = 3.90$  atm. If the equilibrium partial pressure of the  $N_2O_4$  was 0.60atm, calculate the partial pressure of the  $NO<sub>2</sub>$  and the total pressure.

1. 
$$
K_p = \frac{(pNO_2)_{eq}^2}{(pN_2O_4)_{eq}}
$$
  
2.  $3.90 = \frac{(pNO_2)_{eq}^2}{0.60}$ 

3. 
$$
3.90 \times 0.60 = (pNO_2)_{eq}^2
$$
  
\n $(pNO_2)_{eq} = \sqrt{(3.90 \times 0.60)} = \sqrt{2.34} = 1.53$ atm (2DP)  
\nTotal pressure = 1.53 + 0.60 = 2.13 atm (2DP)

In the second type of calculation, neither of the equilibrium pressures are known. The examples below illustrate how to approach this; the method is similar to the one for calculating  $K_p$ 

# **Method**

- 1. Write the equation, putting in the start moles
- 2. Call the number of moles of reactant used up at equilibrium "x" Work out the number of moles at equilibrium of all the other substances in terms of x.
- 3. Find mole fractions, in terms of x
- 4. Find partial pressures, in terms of x
- 5. Write down expression for  $K_{\text{p}}$  and substitute in.
- 6. Rearrange to find x, and hence the required partial pressure

### Example 3.

For the equilibrium system :  $N_2O_4$ (g)  $\hat{\mathbf{U}}\text{NO}_2(\text{g})$ at 100 $\degree$ C,  $K_p = 0.66$  atm. One mole of  $\rm N_2O_4$ was placed in a sealed flask, and heated to 100°C. The total pressure was 2 atm. Find the partial pressure of  $\mathrm{NO}_2^{}$  at equilibrium. 1. Equation and start moles  $N_2O_4$ (g)  $\hat{\mathbf{U}}\text{NO}_2(\mathbf{g})$  1 0 2. Equilibrium moles in terms of x Suppose that x moles of  $N_2O_4$  have been used at equilibrium Since 1 mole of  $N_2O_4$  is required to produce 2 moles of  $NO_2$ , moles of  $NO_2$  produced = twice moles of  $N_2O_4$  used = 2x So at equilibrium, we have:  $N_2O_4$ (g)  $\mathbf{\hat{U}}\text{NO}_2(\text{g})$ equm moles  $1 - x$  2x 3. Mole fractions, in terms of x Total moles =  $1 - x + 2x = 1 + x$ So mole fractions are  $N_2O_4$ :  $\frac{(1-x)}{(1+x)}$  NO<sub>2</sub>  $\frac{2x}{1}$ 4. Partial pressures, in terms of x  $N_2O_4$ :  $\frac{(1-x)}{(1+x)} \times 2 =$  $NO_2$ :  $\frac{2x}{(1+x)}$   $\times 2 = \frac{4x}{(1+x)}$  $(1 + x)$  $(1+x)$  $(2 - 2x)$  $(1 + x)$  $(1+x)$  $2x$  $(1+x)$  $(1+x)$ 

5. Write down expression for  $K_p$ , and substitute in:

**Exam Hint:-** When you are multiplying a fraction by a whole number, just multiply the **top** of the fraction by the number

$$
K_{\rm p} = 0.66 = \frac{(pNO_{2})_{\rm eq}^{2}}{(pN_{2}O_{4})_{\rm eq}} = \frac{\left(\frac{4x}{1+x}\right)^{2}}{\frac{2-2x}{1+x}}
$$

6. Rearrange

#### **Exam Hints:-**

- 1. To square a fraction, square the top and square the bottom
- 2. To divide a fraction by a fraction, turn the one on the bottom upside down and multiply them
- 3. To multiply two fractions, multiply the tops and multiply the bottoms

$$
0.66 = \frac{\frac{16x^2}{(1+x)^2}}{\frac{2-2x}{1+x}}
$$
  
\n
$$
0.66 = \frac{16x^2}{(1+x)^2} \times \frac{1+x}{2-2x}
$$
  
\n
$$
= \frac{16x^2(1+x)}{(1+x)^2(2-2x)}
$$
  
\n
$$
= \frac{16x^2}{(1+x)(2-2x)}
$$
 (cancelling out the 1 + x)  
\n
$$
= \frac{16x^2}{2+2x-2x-2x^2} = \frac{16x^2}{2-2x^2}
$$
 (multiplying out brackets)  
\nNow multiply up:

$$
0.66(2 - 2x2) = 16x2
$$
  
\n
$$
1.32 - 1.32x2 = 16x2
$$
  
\n
$$
1.32 = 17.32x2
$$
  
\n
$$
x2 = 1.32/17.32 = 0.0762...
$$
  
\n
$$
x = \sqrt{0.0762} = 0.276
$$

So partial pressure of  $NO_2 = (1+x) = 0.87$ atm (2SF)  $\frac{4x}{2}$ 

Example 4. For the equilibrium system  $\text{PCl}_3(g)$   $\text{QPCl}_3(g) + \text{Cl}_2(g)$ at a temperature T,  $K_p = 1.69$  atm. One mole of  $\text{PCl}_5(\text{g})$  was placed in a sealed flask, and heated to temperature T. The total pressure was 3 atm. Find the partial pressure of PCl<sub>5</sub> at equilibrium. 1.  $\text{PCl}_5(g)$  **Q**PCl<sub>3</sub>(g) + Cl<sub>2</sub>(g) 1 0 0 2. If x moles of  $N_2O_4$  have been used at equilibrium, x moles of each of  $\text{PCl}_3$  and  $\text{Cl}_2$  will be produced So at equilibrium, we have:  $\text{PCl}_5(g)$   $\text{QPCl}_3(g) + \text{Cl}_2(g)$ equm moles  $1 - x$  x x 3. Total moles =  $1 - x + x + x = 1 + x$ So mole fractions are:  $\text{PCl}_3$ :  $\frac{(1-x)}{(1+x)}$   $\text{PCl}_3$ :  $\frac{x}{(1+x)}$   $\text{Cl}_2$ : 4. Partial pressures:  $PCl_5: \frac{(1-x)}{(1+x)} \times 3 =$ PCl<sub>3</sub> and O<sub>2</sub>:  $\frac{\text{X}}{(1+\text{x})} \times 3 =$ 5.  $K_{\text{p}}=1.69=\frac{(p-2.5)_{\text{eq}}(p-2.5)_{\text{eq}}}{(p\text{PCl}_{5})_{\text{eq}}}$ 6.  $1.69 = \frac{(1+x)}{2}$  $=\frac{3x}{(1+x)^2} \times \frac{1+x}{3-3x}$  $=\frac{5x}{(1+x)(3-3x)}$  $=\frac{2x}{2+2x-2x-2x^2}=\frac{2x}{2-2x^2}$  $1.69(3 - 3x^2) = 9x^2$  $5.07 - 5.07x^2 = 9x^2$  $14.07x^2 = 5.07$  $x^2 = 5.07/14.07 = 0.360...$  $x = 0.600$ Partial pressure of PCl<sub>5</sub> =  $\frac{(3-3x)}{(1+x)}$  = 0.75atm  $(1 + x)$ x  $(1+x)$ x  $(1+x)$  $(1+x)$  $(3-3x)$  $(1+x)$  $(1 + x)$  $\frac{3x}{2}$  $(1+x)$  $(pPCl_3)_{eq}(pCl_2)_{eq}$  $1 + x$  $3 - 3x$  $1 + x$ 3x  $1 + x$ 3x + −  $\frac{3x}{+ x}$  $\left(\frac{3x}{1+x}\right)$  $\left(\frac{3x}{1+x}\right)$ ſ *x x x x* + − + 1  $3 - 3$ 1  $\frac{9x^2}{2}$ 2 *x x x*  $3 - 3$ 1 1  $\frac{9x^2}{x^2}$ 2  $\frac{9x^2}{(x+1)^2} \times \frac{1+1}{3-1}$ *x*  $(1 + x)(3 - 3)$  $9x^2$  $+ x)(3 -$ 2 2 2  $3 - 3$ 9  $3 + 3x - 3x - 3$ 9 *x x*  $x-3x-3x$  $\frac{9x^2}{x^2+3x-3x^2} = \frac{9}{3}$  $(1+x)$ 

**Exam Hint:-** If you get to a stage of trying to solve a quadratic equation – YOU HAVE MADE AN ERROR SOMEWHERE (solving quadratic equations is not in the syllabus!)

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# **Practice Questions**

1. For each equilibrium write the  $K_p$  expression and the units (the units of partial pressure are given in brackets).



- 2. Calculate the partial pressures of the gases in the following mixtures at equilibrium. (a)  $2 \text{ mol } A$ ,  $2 \text{ mol } B$ ,  $3 \text{ mol } C$ . Total pressure  $= 2 \text{ atm}$ 
	- (b)  $0.25 \text{ mol D}$ ,  $0.25 \text{ mol E}$ , 1 mol F. Total pressure = 150 Pa
- 3. What is the  $K_p$  value for each of the following equilibria? (a)  $\text{PCl}_5(g) \hat{u} \text{ PCl}_3(g) + \text{Cl}_2(g)$ 2 mol PCl<sub>5</sub> is heated to 200 °C. The PCl<sub>5</sub> 50% dissociates at equilibrium, and the total pressure is 100 kPa
	- (b)  $S(s) + O_2(g) \hat{u} SO_2(g)$ At the start there are  $0.4 \text{ mol O}_2$ . At equilibrium there are  $0.1 \text{ moles}$ of  $SO_2$ , with a total pressure of 0.5 atm.
	- (c)  $2A(g)$   $\hat{u}$   $B(g) + 2C(g)$ A sample of A is heated to  $125^{\circ}$ C in a flask. At equilibrium the gas A has 25% dissociated, and there is a total pressure of 2 atm.
	- (d)  $N_2(g) + 3H_2(g)$   $\hat{u}$  2 NH<sub>3</sub>(g)  $0.5$  moles of  $\mathrm{H}_2$  and  $0.4$  moles of  $\mathrm{N}_2$  are allowed to reach equilibrium. At equilibrium there are  $0.2$  moles  $H_2$ . The total pressure is 200 Pa.
- 4. (a)  $K_p = 2.4$  atm<sup>-1</sup> at 400K for the following equilibrium system:  $2A(g)$  û B(g) At equilibrium, the partial pressure of A is 0.6 atm.
	- Find the partial pressure of B and the total pressure at equilibrium.
	- (b)  $K_p = 0.53$  atm at 350 K for the equilibrium system:  $\left(\text{CH}_{3}\text{COOH}\right)_{2}$ (g) û 2CH<sub>3</sub>COOH(g) At equilibrium, the partial pressure of  $CH<sub>3</sub>COOH$  is 1.1atm. Find the partial pressure of  $\text{CH}_3\text{COOH}_2$  at equilibrium.
	- (c) For the system A(s)  $\hat{u} B(s) + C(g), K_{p} = 0.8$  atm at 200°C. Find the equilibrium partial pressure of  $C(g)$
	- (d) For the system D(g)  $\mathbf{\hat{E}}(g) + F(g)$ ,  $K_p = 1.6$  atm at 350 K Given that there was initially 1 mole of D, and that the total pressure at equilibrium is 1 atm, find the equilibrium partial pressure of E.

# **Answers**

- 1. (a)  $(pY)_{eq}^2 \times (pZ)_{eq}^2 / (pX)_{eq}^2$  atm<sup>2</sup> (b)  $(pCO_2)_{eq}$  kPa (e)  $(pS)_{eq}^2 \times (pT)_{eq}^3 / (pR)_{eq}^3$  Pa<sup>2</sup>
- 2. (a) A =  $0.57$  atm B =  $0.57$  atm C =  $0.86$  atm (b)  $D = 25 Pa$   $E = 25 Pa$   $F = 100 Pa$
- 3. (a)  $pPCl_5 = pPCl_3 = pCl_2 = 33.3 \text{ kPa}$   $K_p = 33.3 \text{ kPa}$ (b)  $pO_2 = 0.375$  atm  $pSO_2 = 0.125$  atm  $\dot{K_p} = 0.33$  No units (c)  $pA = 1.33$  atm  $pB = 0.22$  atm  $pC = 0.44$  atm  $K_p = 0.024$  atm (d)  $pN_2 = 85.7$ Pa  $pH_2 = pNH_3 = 57.1$  Pa  $K_p = 0.000204$  Pa<sup>2</sup>
- 4. (a)  $2.4 = pB/0.60^2$ . . So  $p = 2.4 \times 0.60^2 = 0.864$  atm (b)  $0.53=1.1^{2}/p$ (CH<sub>3</sub>COOH)<sub>2</sub> So  $p$ (CH<sub>3</sub>COOH)<sub>2</sub> = 1.1<sup>2</sup>/0.53 = 2.28atm (c)  $K_p = pC(g)$  So  $pC(g) = 0.8$  atm
	- (d) Equilibrium moles: D:  $1 x$ ; E: x F: x
		- $pD = (1-x)/(1+x)$   $pE = pF = x/(1+x)$
		- $K_{\rm p} = 1.6 = x^2/(1 x^2)$
		- $x = 0.784$  so  $pE = 0.44$ atm